# New physics in B<sub>s</sub> mixing: Uplifted SUSY

#### Adam Martin (Fermilab)

based on work with B. Dobrescu and P. Fox (1005.4238) + work in progress

#### **‡** Fermilab

CPV from B Factories to Tevatron and LHCb

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## <u>Outline</u>

- Motivation: opportunities and anomalies
- New physics in B<sub>s</sub> mixing: how? how much?
- Uplifted SUSY!
- consequences of Uplifted SUSY in flavor and at colliders

#### <u>Motivation</u>

I: Flavor as a second telescope to higher scales



generic flavor at TeV scale is totally ruled out! Non-trivial pattern waiting to be unveiled

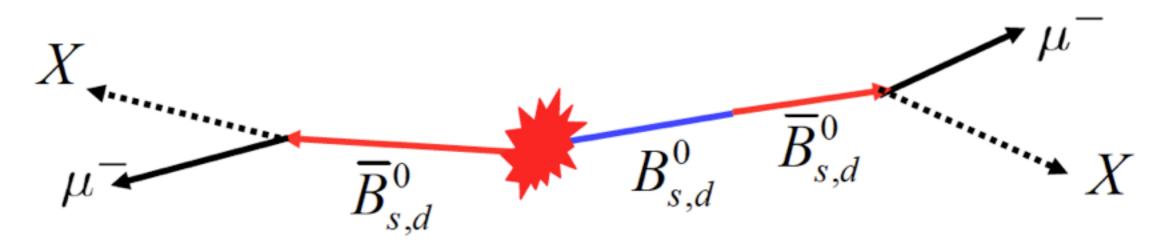
opportunities at every front -- a very exciting time!

#### <u>Motivation</u>

#### II:

• D0 sees a ~1% asymmetry in the number of  $\mu^{-}\mu^{-}$  vs. the number of  $\mu^{+}\mu^{+}$ (1005.2757)  $A^{b}_{SL} = -(9.57 \pm 2.51 \pm 1.46) \times 10^{-3}$  $3.2\sigma$  deviation from SM

• like-sign leptons are attributed to  $B^{0}_{s}$  and  $B^{0}_{d}$  oscillation



• dimuon asymmetry can be recast in terms of the  $B_s$ ,  $B_d$  "wrong charge" semileptonic asymmetries

$$A_{SL}^{b} = \frac{N^{++} - N^{--}}{N^{++} + N^{--}} = \frac{N_{RS}^{+} N_{WS}^{+} - N_{RS}^{-} N_{WS}^{+}}{N_{RS}^{+} N_{WS}^{+} + N_{RS}^{-} N_{WS}^{+}} \cong 0.5 \ a_{SL}^{d} + 0.5 \ a_{SL}^{s}$$
  
depend on what fraction of produced b go to B<sub>s</sub>, B<sub>d</sub>

where:

$$a_{SL}^{q} = \frac{N(\overline{B^{0}}_{phys} \to \ell^{+}X) - N(B_{phys}^{0} \to \ell^{-}X)}{N(\overline{B^{0}}_{phys} \to \ell^{+}X) + N(B_{phys}^{0} \to \ell^{-}X)} \simeq \frac{|\Gamma_{12}^{q}|}{|M_{12}^{q}|} \sin(\phi_{M}^{q} - \phi_{\Gamma}^{q}) + \mathcal{O}(|\Gamma_{12}^{q}|^{2})$$

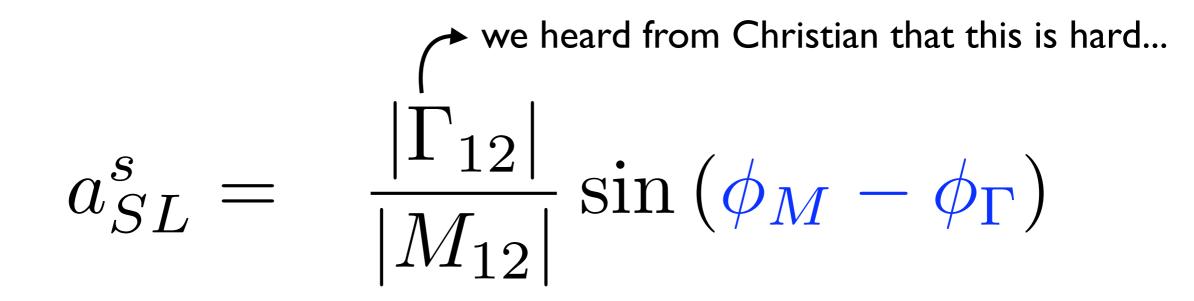
#### some related quantities

$$a_{SL}^{q} = \frac{|\Gamma_{12}|}{|M_{12}|} \sin(\phi_{M} - \phi_{\Gamma}), \quad \Delta M_{s} = 2|M_{12}|, \quad \Delta \Gamma = 2|\Gamma_{12}|\cos(\phi_{M} - \phi_{\Gamma})$$
  
mass difference inference inference

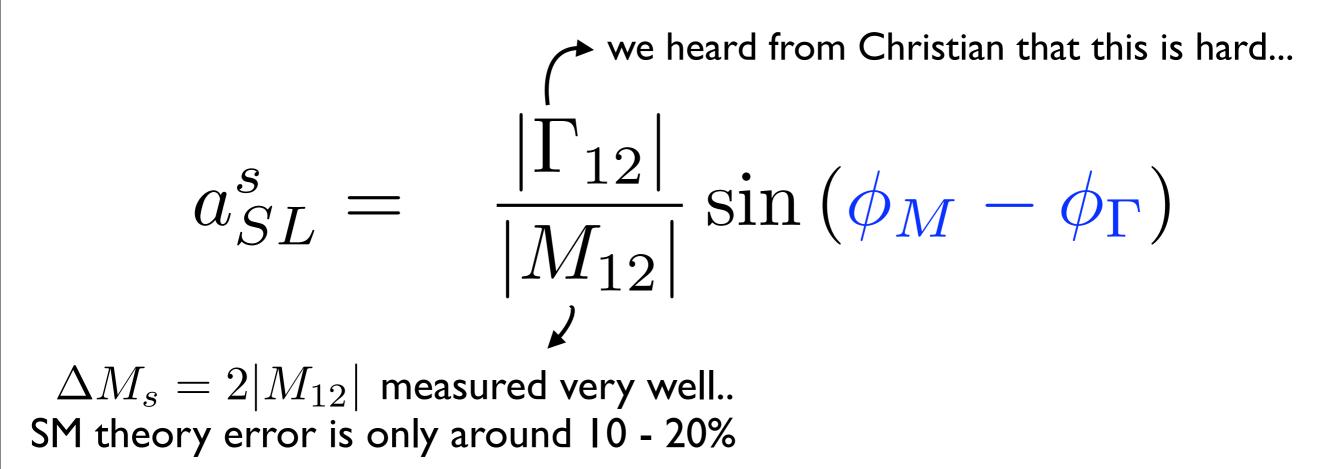
#### New Physics in a<sup>d</sup>SL, a<sup>S</sup>SL

 $a_{SL}^{s} = \frac{|\Gamma_{12}|}{|M_{12}|} \sin\left(\phi_{M} - \phi_{\Gamma}\right)$ 

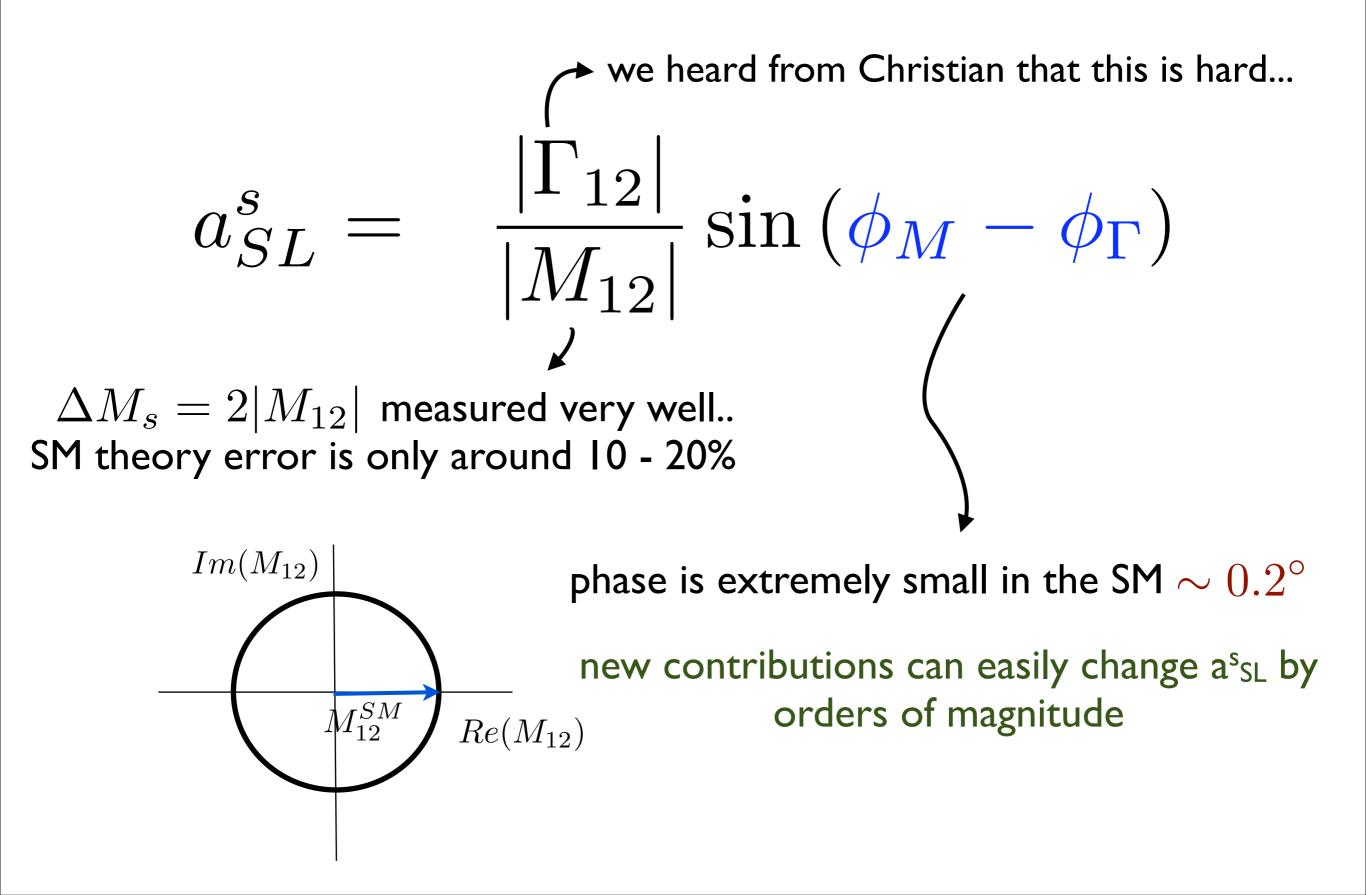
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#### New Physics in a<sup>d</sup>SL, a<sup>S</sup>SL



#### New Physics in ad<sub>SL</sub>, as<sub>SL</sub>



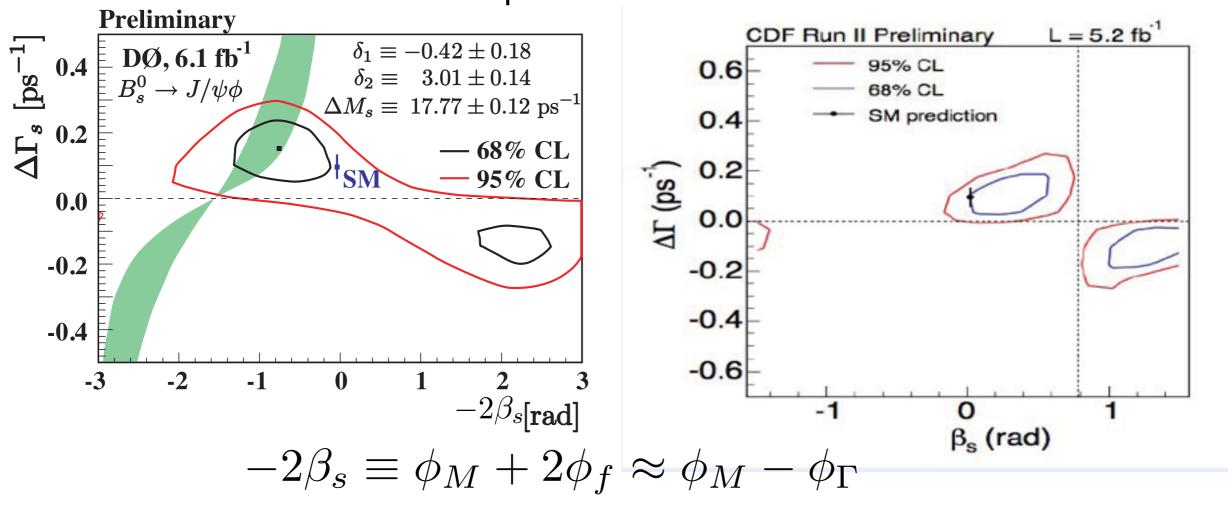
#### <u>Motivation</u>

#### III: assuming one decay amplitude, **0**<sup>th</sup> order in $\Gamma_{12}$ different observable: $S_{\Psi\Phi}$ $S_{\psi\varphi}$ $\frac{N(\overline{B^0}_{phys} \to J/\psi\phi) - N(B^0_{phys} \to J/\psi\phi)}{N(\overline{B^0}_{phys} \to J/\psi\phi) + N(B^0_{phys} \to J/\psi\phi)} = -\sin(\Delta mt)\sin(\phi_M + 2\phi_f)$ CKM phase of tree-level strictly speaking, not the same phase as in $a^s{}_{SL}$ $b \rightarrow c \bar{c} \bar{s}$ process (relative phase of $M_{12}$ and $\Gamma_{12}$ ) in the SM: $\sin(\phi_M - \phi_{\Gamma}), \sin(\phi_M + 2\phi_f) \simeq 0$ if NP only changes phase in mixing, effect will show up in both $\sin(\phi_{NP} + \phi_M - \phi_{\Gamma}) \simeq \sin(\phi_{NP}) \simeq \sin(\phi_{NP} + \phi_M + 2\phi_f)$

not the case if there is new physics in the phase of  $\Gamma_{12}$ 

#### What about $S_{\psi\phi}$ ?

both CDF/D0 measure  $S_{\psi\phi}$ :extract  $\Delta\Gamma$  and  $\phi_M + 2\phi_f$ 



- both experiments favor phases >> SM
- $\Delta\Gamma = 2|\Gamma_{12}|\cos(\phi_M \phi_\Gamma)$  so if new physics only changes the phase,  $|\Delta\Gamma|$  can only be smaller than  $\Delta\Gamma^{SM} \cong 2|\Gamma_{12}^{SM}|$

## In the Standard Model

• For now let's assume  $a_{SL}^d = 0$  since the B<sub>d</sub> system is tightly constrained by B-factories. Whole asymmetry comes from B<sub>s</sub>

from expt.  

$$\begin{aligned}
(a_{SL}^{s})_{comb} \approx -(12.7 \pm 5.0) \times 10^{-3} \\
(D0 + older CDF, D0 \\
results)
\end{aligned}$$

$$|M_{12}^{SM}| \simeq (9.0 \pm 1.4) \text{ps}^{-1} \\
|\Gamma_{12}^{SM}| = 0.045 \pm 0.012 \text{ ps}^{-1} \\
\sin (\phi_M - \phi_\Gamma)_{SM} \\
\simeq (4.2 \pm 1.4) \times 10^{-3} \\
a_{SL}^{s}(SM) = (2.2 \pm 0.6) \times 10^{-5}
\end{aligned}$$

### a first approach

# What happens when we try to put new physics only into the phase of $M_{12}$

$$\begin{split} \Gamma_{12} &= \Gamma_{12}^{SM} \qquad M_{12} = M_{12}^{NP} + M_{12}^{SM} \equiv C_{B_s} e^{i\phi_s} |M_{12}^{SM}| \\ \text{(set phase in } M_{12}^{SM}, \Gamma_{12}^{SM} \text{ to zero)} \\ a_{SL}^s &= \frac{|\Gamma_{12}^{SM}|}{|M_{12}^{SM}|} \frac{\sin \phi_s}{|C_{B_s}|} \end{split}$$

plug in  $M_{12}^{SM}$ ,  $\Gamma_{12}^{SM}$ , fit to  $a_{SL}^{s}$  and  $\Delta M_{s} = 2|M_{12}| = 2|M_{12}^{SM}|C_{B_{s}}$ 

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$$|\Gamma_{12}^{SM}| \sin \phi_s$$

$$a_{SL}^s = \frac{|112|}{|M_{12}^{SM}|} \frac{|m\varphi_s|}{|C_{B_s}|}$$

plug in  $M_{12}^{SM}$ ,  $\Gamma_{12}^{SM}$ , fit to  $a_{SL}^s$  and  $\Delta M_s = 2|M_{12}| = 2|M_{12}^{SM}|C_{B_s}$  $C_{B_s} = 0.98 \pm 0.15$ ,  $\sin \phi_s = -2.5 \pm 1.3$ 

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#### 

with the set of assumptions we've made and the current experimental central value, we find an unphysical scenario So..

- central value will decrease once errors are reduced
- Or.. we need to modify our theory assumptions
- put some asymmetry into  $a^{d}_{SL}: a^{d}_{SL} = (-0.47 \pm 0.46)\%$

has large errors, seems like a easy place to put some (often done in results!)

BUT, not free - central value would imply new physics in B<sub>d</sub> mixing! improved measurement of a<sup>d</sup><sub>SL</sub> would be great

#### 

Or.. we need to modify our theory assumptions

- new physics in  $\Gamma_{12}^s$  (Christian's talk) -
- not a simple 2 state mixing (see Bai, Nelson 1007.0596)
- muons come from some other

new physics (rate ~ $10^{-5} \sigma_b$ ?)

• others?

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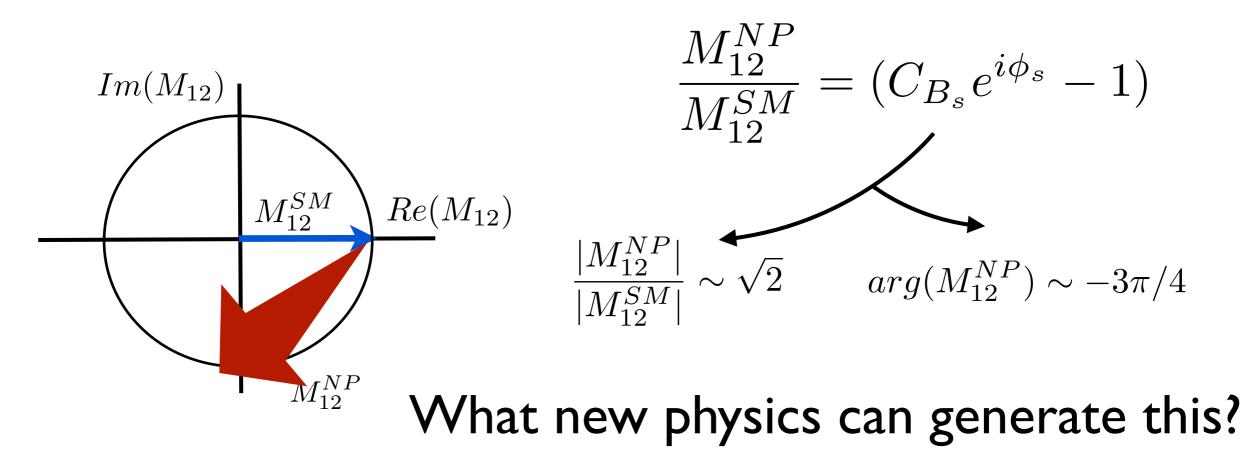
• others?

let's keep going with our current strategy

Consider the situation where  $\sin\phi_s$  settles to a large, but physical value

 $\sin \phi_s \sim -1$ 

In this case new physics of this form needs to be large and have a large phase

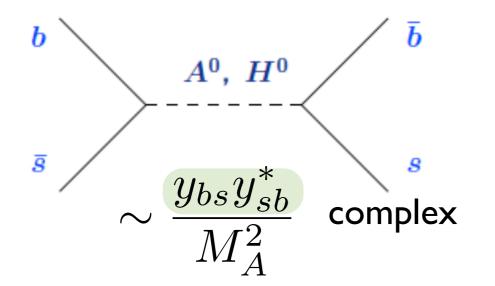


what about tree level scalar exchange:

... occurs in general two Higgs doublet models (THDM) (up-, down-type quarks couple to both Higgses)

$$y_u U^c H_u Q_L + y'_u U^c H^*_d Q_L + y_d D^c H_d Q_L + y'_d D^c H^*_u Q_L$$

can't be simultaneously diagonalized



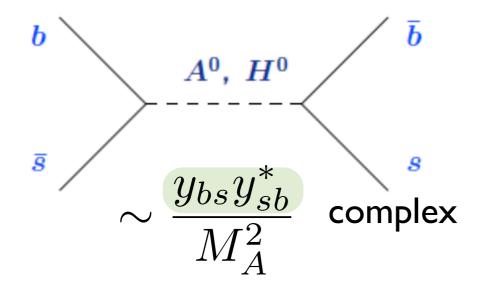
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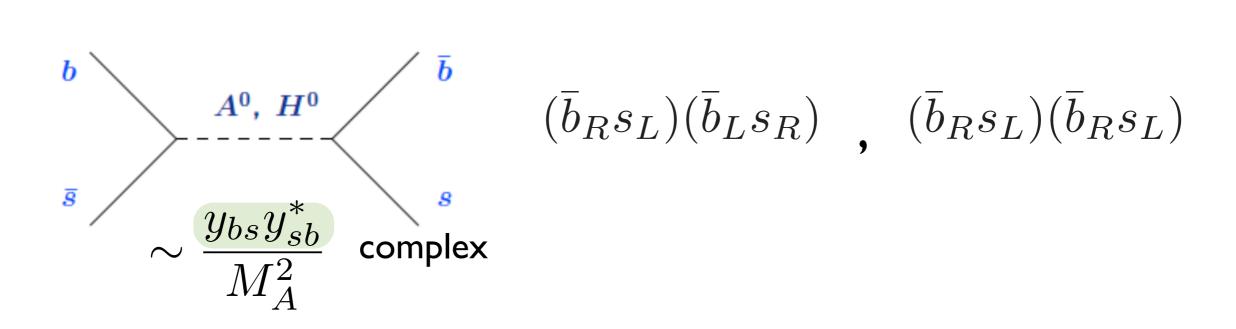
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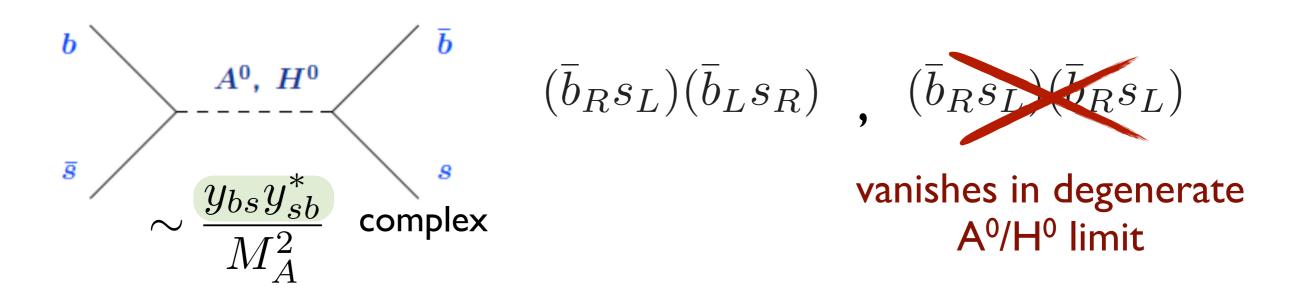


#### Advantages of tree-level FCNC:

- Yukawa coupling strength ->  $y_b y_s > y_b y_d >> y_s y_d$ effects in  $B_s > B_d >> K$
- $\Delta B = 2$  at tree level, while  $\Delta B = 1$   $_{b}$  only occurs at loop level -> parametrically smaller

 $\overline{s}$ 

 $A_0, H_0$ 

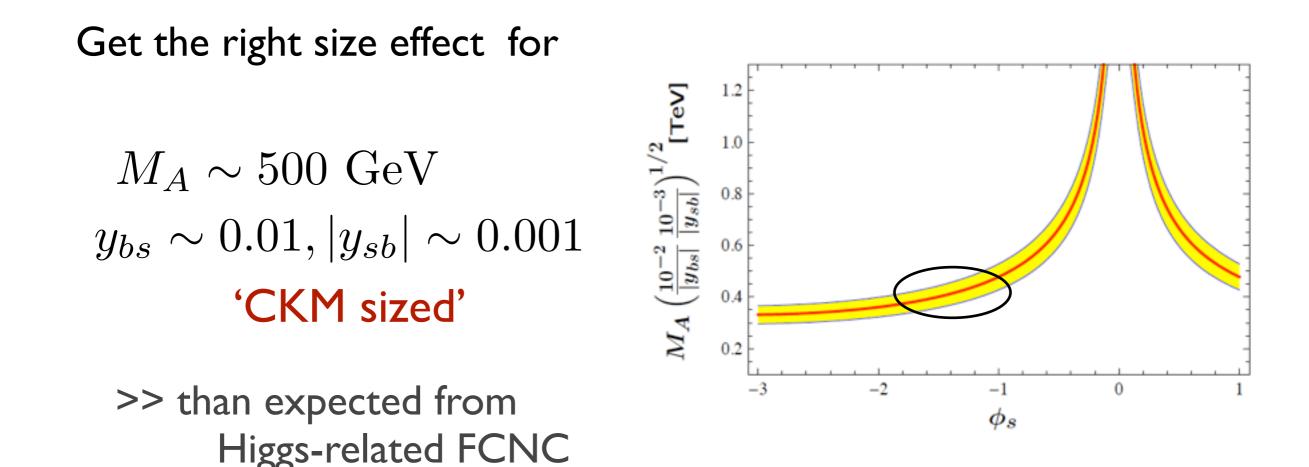


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but how do you get large enough  $y_{bs}y_{sb}^*/M_A^2$  without screwing up other flavor observables?

#### From where? SUSY

the MSSM is a two-Higgs doublet model

Holomorphy constrains the superpotential —— when SUSY is preserved, `type-2' THDM

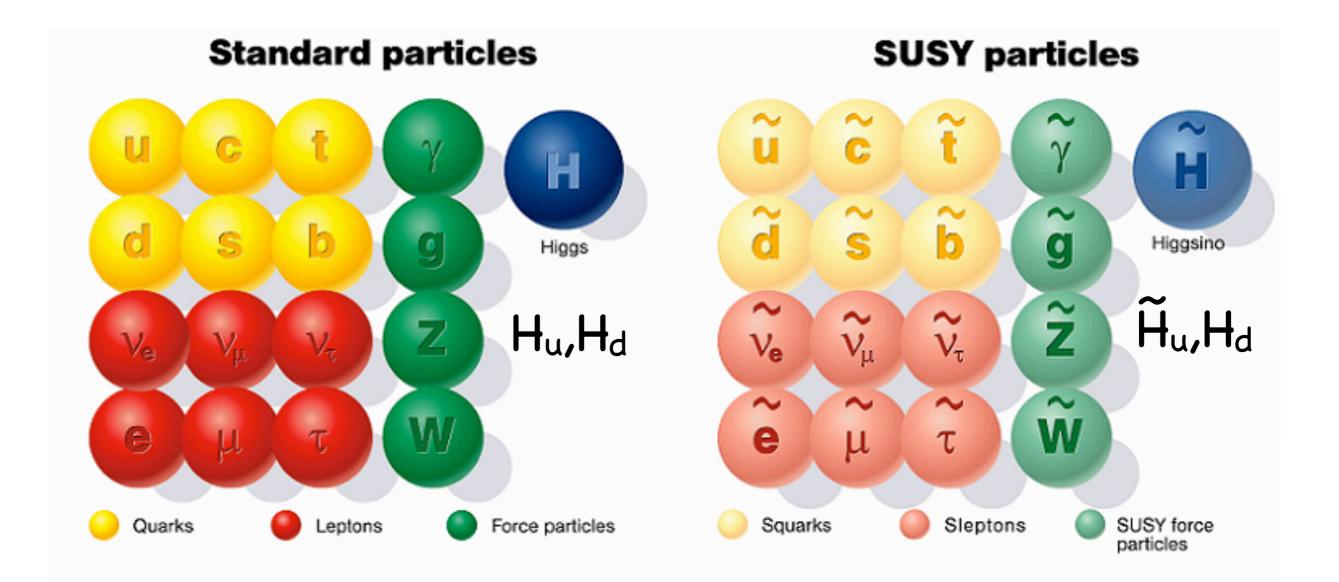
$$\mathcal{L} \supset -y_u u^c H_u Q_L - y_d d^c H_d Q_L$$

BUT, once SUSY is broken, integrate out superpartners —— generate a completely general THDM

 $\mathcal{L} \supset -y_u u^c H_u Q_L - y_d d^c H_d Q_L - y'_u u^c H_d^{\dagger} Q_L - y'_d d^c H_u^{\dagger} Q_L$ 

so, therefore  $m_d = y_d v_d + y'_d v_u$ 

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#### "Minimal Supersymmetric Standard Model (MSSM)"

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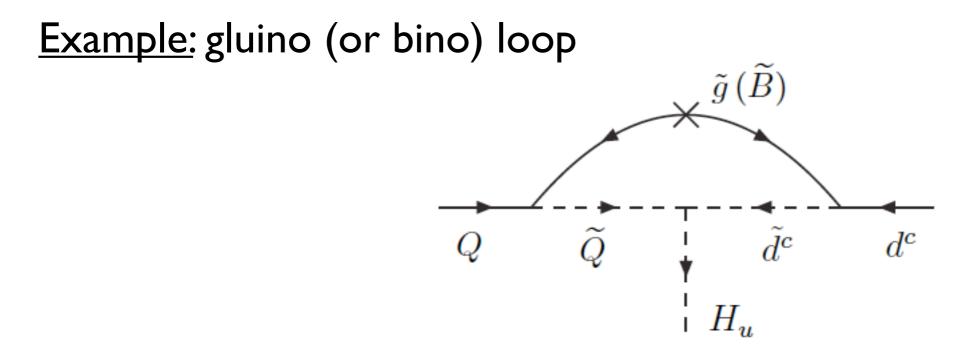
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## more SUSY

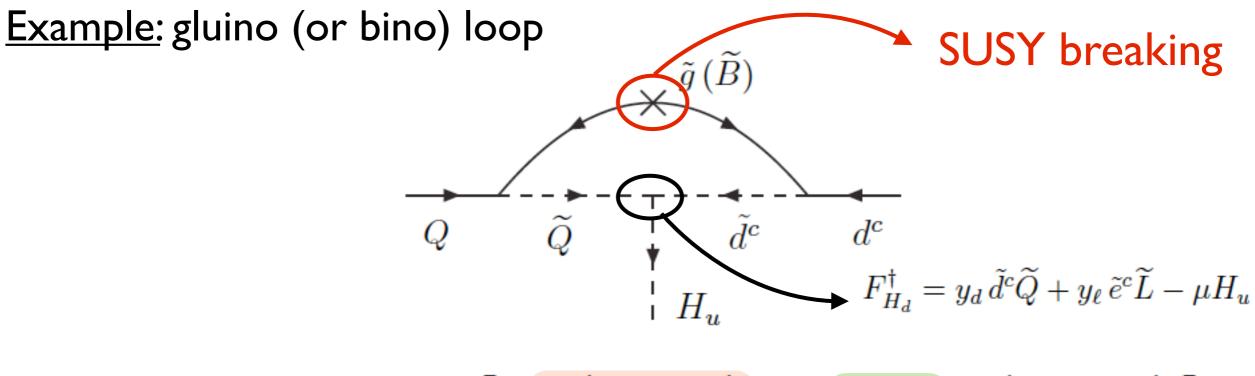


$$(y'_d)_F = -\frac{y_d}{3\pi} e^{i(\theta_g - \theta_\mu)} \frac{2|\mu|}{M_{\tilde{d}}} \left[ \alpha_s F\left(\frac{M_{\tilde{g}}}{M_{\tilde{Q}}}, \frac{M_{\tilde{d}}}{M_{\tilde{Q}}}\right) + \frac{\alpha e^{i(\theta_B - \theta_g)}}{24c_W^2} F\left(\frac{M_{\tilde{B}}}{M_{\tilde{Q}}}, \frac{M_{\tilde{d}}}{M_{\tilde{Q}}}\right) \right]$$
  
effective coupling  $y'_d$   
$$F(x, y) = \frac{2xy}{x^2 - y^2} \left(\frac{y^2 \ln y}{1 - y^2} - \frac{x^2 \ln x}{1 - x^2}\right)$$

- proportional to  $y_d$
- knows about superpartner spectrum
- knows about complex SUSY parameters

+ additional diagrams from Higgsino loops or involving A-terms

### more SUSY



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- proportional to  $y_d$
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### <u>more SUSY</u>

if the sfermion spectrum is degenerate...

$$\text{all } F\Big(\frac{M_{\tilde{g}}}{M_{\tilde{Q},j}},\frac{M_{\tilde{d},i}}{M_{\tilde{Q},j}}\Big) \quad \text{are equal:} \quad y_d' = \underbrace{F}_{V_d} \underbrace{F}_{\text{c-number}} y_d$$

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if sfermion spectrum is NOT degenerate, ex.)  $M_{\tilde{Q},3} \neq M_{\tilde{Q},1}$ 

$$F\left(\frac{M_{\tilde{g}}}{M_{\tilde{Q},3}}, \frac{M_{\tilde{d},1}}{M_{\tilde{Q},3}}\right) \neq F\left(\frac{M_{\tilde{g}}}{M_{\tilde{Q},1}}, \frac{M_{\tilde{d},1}}{M_{\tilde{Q},1}}\right) \begin{array}{c} \text{each } y'_d \text{ entry } \\ \text{weighted } \\ \text{differently } \end{array} \begin{array}{c} y'_{d,13} \\ y_{d,13} \end{array} \neq \frac{y'_{d,11}}{y_{d,11}} \end{array}$$

mass term: 
$$y_d v_d + y'_d v_u \rightarrow$$
 are not simultaneously  
Yukawa:  $y_d \qquad y_d \qquad diagonalizable: FCNC!$ 

great, but  $y'_d$  is loop suppressed, so one expects these effect to be negligible...





## **Uplift!**

what if: 
$$\frac{v_u}{v_d} \sim 200$$
 ??  
 $m_b = (y_b \ v_d + y'_b \ v_u)$ 

• large 
$$\frac{v_u}{v_d}$$
 overcomes the loop factor

- $y'_d v_u$  becomes dominant contribution to mass
- big  $y_b$  (also  $y_{ au}$ ) needed to get right  $m_b, \, m_{ au}$

$$y_{ au}, y_b \sim \mathcal{O}(1)$$
  $y_{d,s} = y_b rac{m_{d,s}}{m_b}$  , etc.

• misalignment between  $y_d$  and  $y'_d$  important

This is the `uplifted region' (Dobrescu, Fox 1001.3147)

#### **Uplift! : How did we get here?**

look at the Higgs potential:

$$(|\mu|^{2} + m_{H_{u}}^{2})|H_{u}|^{2} + (|\mu|^{2} + m_{H_{d}}^{2})|H_{d}|^{2} + B_{\mu}H_{u}H_{d}$$
$$+ \frac{1}{2}(g^{2} + g'^{2})(|H_{u}|^{2} - |H_{d}|^{2})^{2}$$

#### (see 1001.3147)

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$$+ \frac{1}{2}(g^{2} + g'^{2})(|H_{u}|^{2} - |H_{d}|^{2})^{2}$$



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only H<sub>u</sub> gets a vev:  $v_u/v_d = \infty$  at tree level

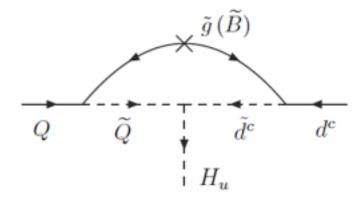
#### **Uplift! : How did we get here?**

 $\begin{array}{ll} \mbox{look at the Higgs potential:} & \mbox{forbid at tree level} \\ (|\mu|^2 + m_{H_u}^2)|H_u|^2 + (|\mu|^2 + m_{H_d}^2)|H_d|^2 + B_{\mu} + H_d \\ & + \frac{1}{2}(g^2 + g'^2)(|H_u|^2 - |H_d|^2)^2 \\ \mbox{for EVVSB:} & (|\mu|^2 + m_{H_u}^2)(|\mu|^2 + m_{H_d}^2) < 0 \\ & < 0 & > 0 \end{array}$ 

only H<sub>u</sub> gets a vev:  $v_u/v_d = \infty$  at tree level

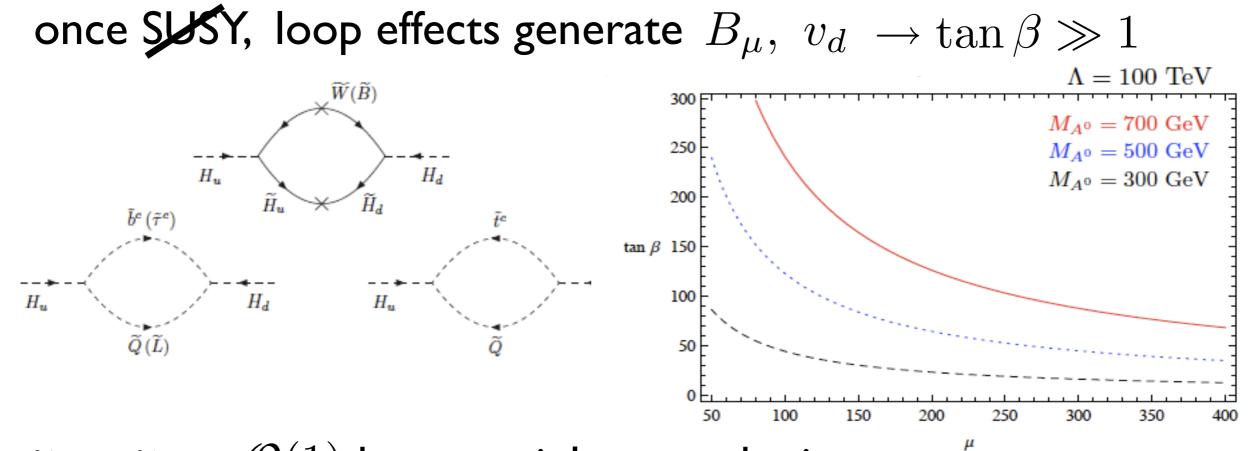
#### don't worry:

down-type quarks, leptons get mass through loop diagrams:  $y'_d, y'_{\tau}$ 

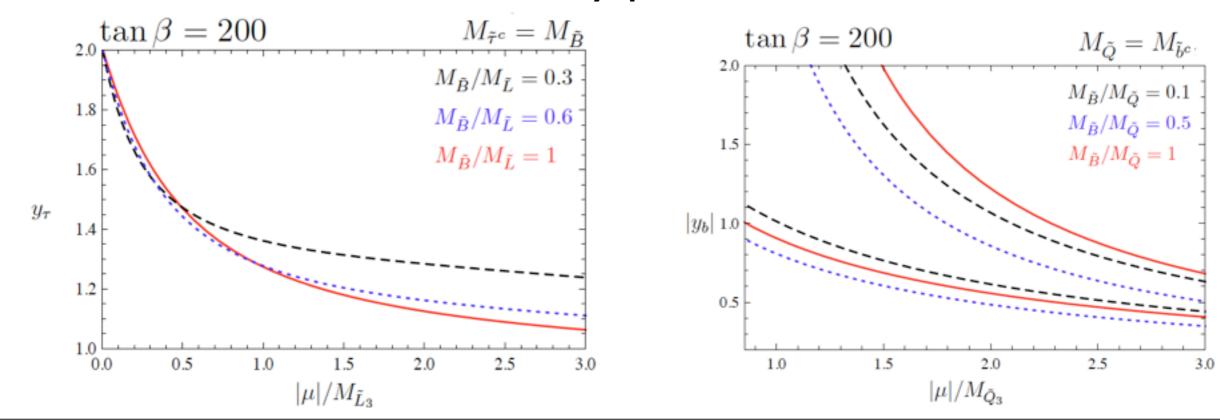


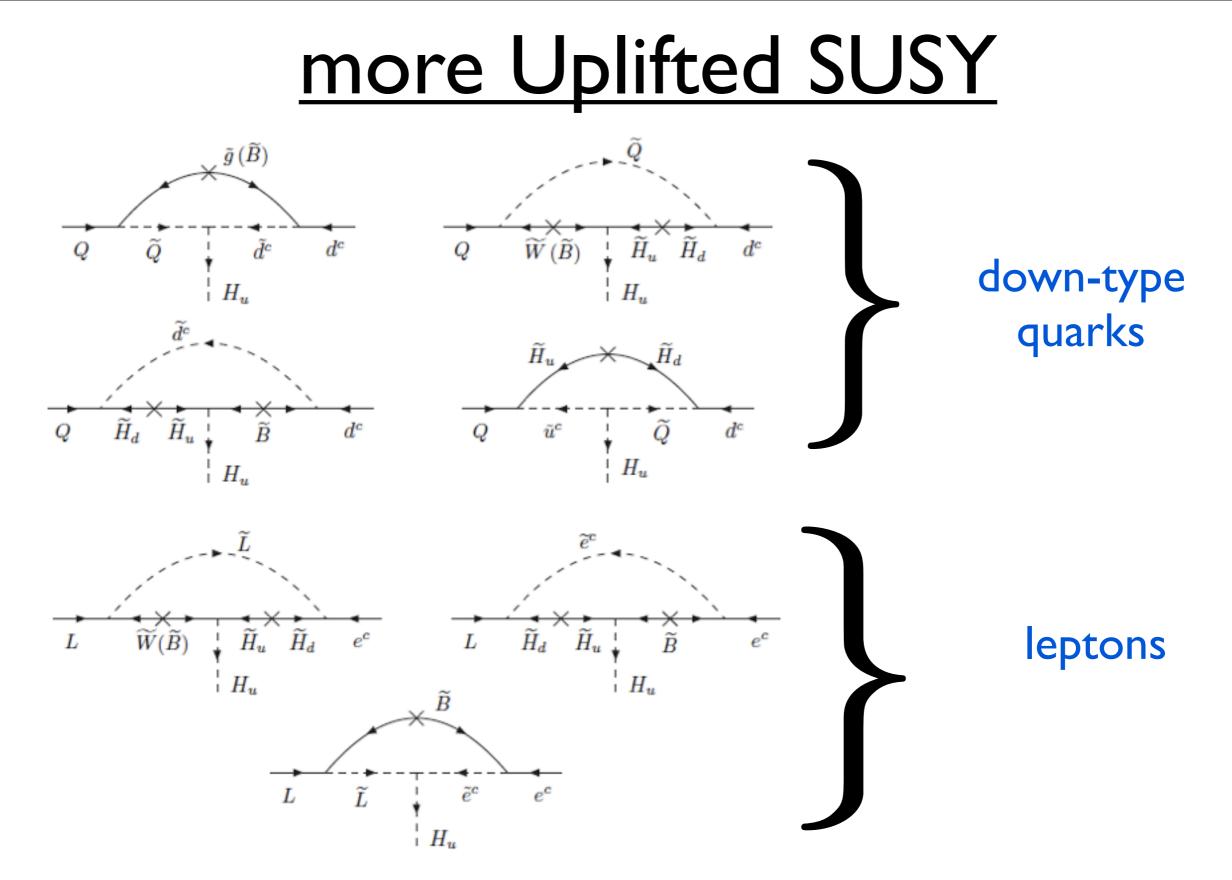
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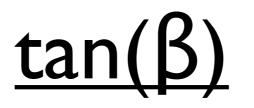


•  $y_b$  ,  $y_ au \sim \mathcal{O}(1)$  but certainly perturbative





different diagrams! gluino diagrams don't contribute to slepton masses... compensate by  $y_T > y_b$ 



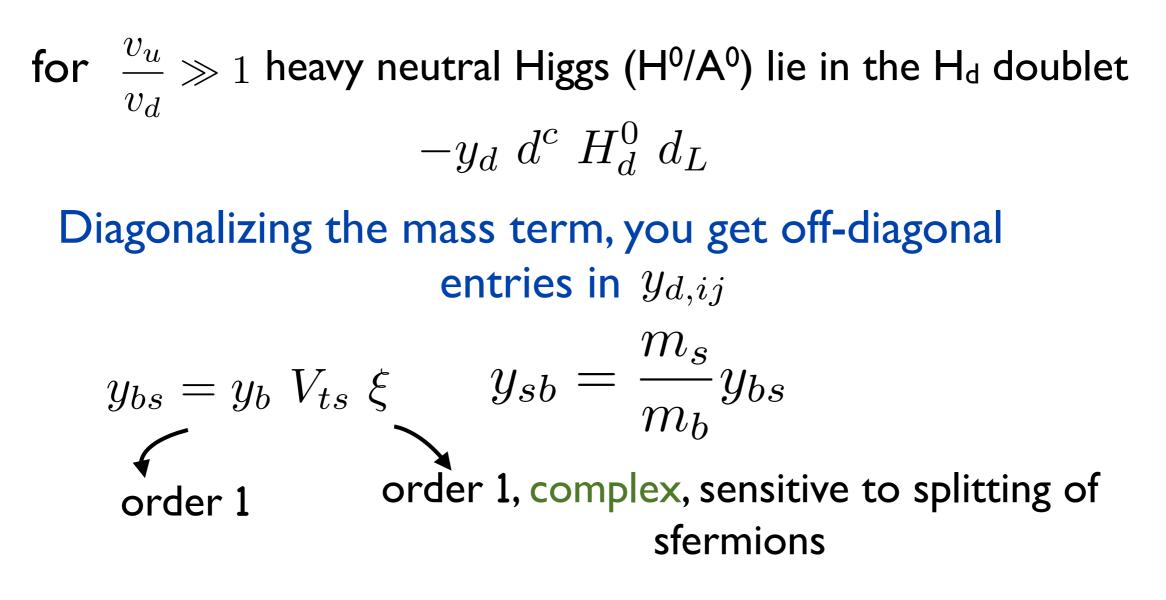
Be careful,  $v_u/v_d = \tan\beta$  is a confusing parameter!

#### in the 'usual MSSM'

- $y_b$ ,  $y_T$  grow with linearly with  $tan(\beta)$  ... reach nonperturbative values for O(50) or so
- ratio  $y_b/y_T$  is fixed by the ratio of masses, =  $m_b/m_T$

neither of these is strictly true!

$$\frac{m_b}{m_\tau} = \frac{y_b + y'_b \tan\beta}{y_\tau + y'_\tau \tan\beta}$$



off-diagonal entries are big  $(\mathcal{O}(V_{CKM}))$  and carry new, potentially large phases

right in the range needed to have an effect on  $B_s$  for  $m_A \sim TeV$ 

- $\bullet$  effects in  $B_d$  system suppressed by  $m_d/m_s$
- flavor changing couplings vanish when sfermions are degenerate, so if  $M_{\tilde{Q}_1} \cong M_{\tilde{Q}_2} \neq M_{\tilde{Q}_3}$  $M_{\tilde{d}_1} \cong M_{\tilde{d}_2} \neq M_{\tilde{d}_3}$   $\longrightarrow$  no flavor-v

no flavor-violation in the Kaon system

Starting from degenerate sfermion masses at a high scale, Yukawa couplings in RGEs will automatically generate the desired splitting

$$y_b \sim \mathbf{1}, y_{s,d} = y_b \frac{m_{s,d}}{m_b} \ll 1 \quad \mathbf{M}_{\tilde{Q},3} < M_{\tilde{Q},1,2}$$

(Dobrescu, Fox, Martin work in progress)

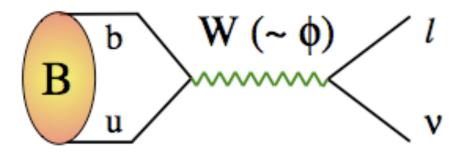
# What else can Uplifted SUSY do for you?

• interesting effects in other B-system observables

distinct collider signals

other interesting effects:  $B^{\pm} \rightarrow \tau^{\pm} \nu$ 

$$BR(B^+ \to \tau^+ \nu) = \frac{G_F^2 m_B m_\tau^2}{8\pi} \left(1 - \frac{m_\tau^2}{m_B^2}\right)^2 f_B^2 |V_{ub}|^2$$

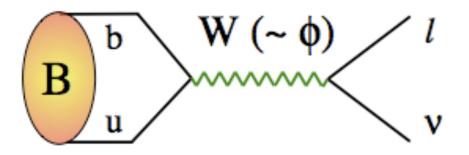


decay mode is helicity suppressed and CKM suppressed. Susceptible to effects from new physics

$$BR(B^+ \to \tau^+ \nu)_{SM} = (0.808 \pm 0.071) \times 10^{-4}$$
 (UTfit: 0908.3470)

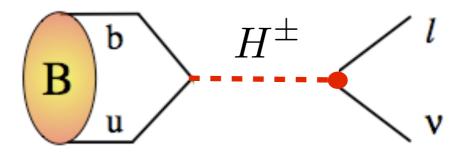
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... such as charged Higgs exchange:



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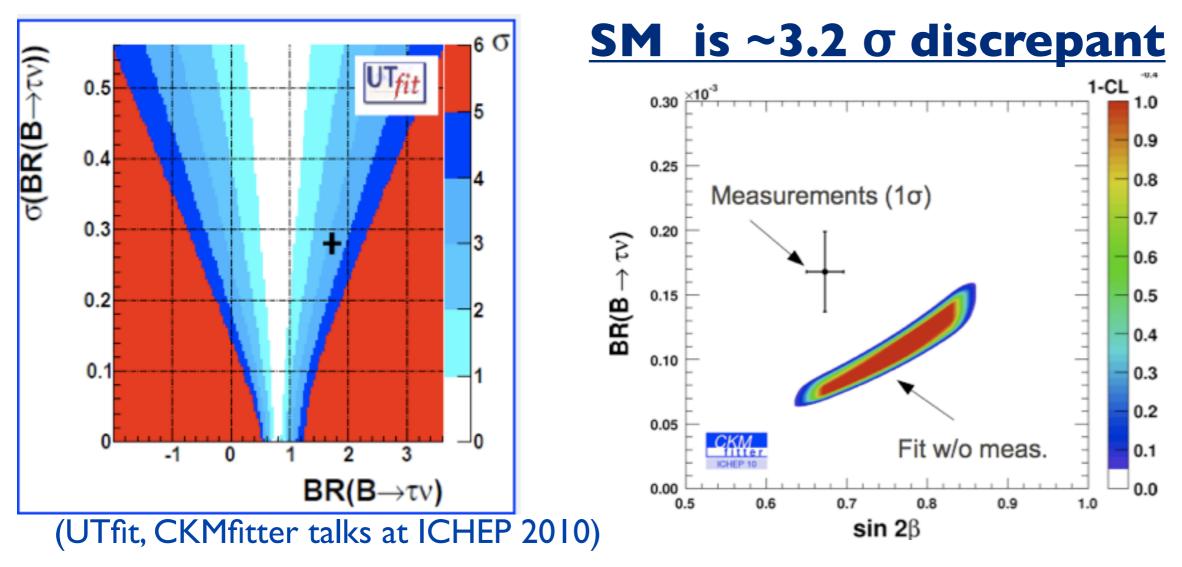
#### $BR(B^+ \to \tau^+ \nu)_{SM} = (0.808 \pm 0.071) \times 10^{-4}$ (UTfit: 0908.3470)

#### while, comparing with most recent experimental results:



Belle Semileptonic tag (1006.4201) Belle Hadronic tag (hep-ex/0604018)

Belle + BaBar: 
$$BR(B^+ \to \tau^+ \nu) = (1.72 \pm 0.28) \times 10^{-4}$$



situation looks even worse in the 'conventional' MSSM (or other `type-2' THDM):

$$\frac{B(B^- \to \tau \nu)}{B(B^- \to \tau \nu)_{SM}} = \begin{bmatrix} 1 - \tan^2 \beta \frac{M_B^2}{M_{H^{\pm}}^2} \end{bmatrix}^2 \qquad \begin{array}{l} \text{hard to manage an} \\ \text{enhancement without} \\ \text{throwing off other observables} \\ (\text{ex. } BR(B \to D\tau \nu) ) \end{array}$$

BUT in `uplifted SUSY':

$$\frac{BR(B^+ \to \tau^+ \nu)}{BR(B^+ \to \tau + \nu)_{SM}} = \left[1 - \left(\frac{y_b}{y_b v_d + y'_b v_u}\right) \left(\frac{y_\tau}{y_\tau v_d + y'_\tau v_u}\right) \frac{M_B^2}{M_{H_\pm}^2}\right]^2$$

we can have a relative relative phase (even -1) between  $y_b$  and  $y_b'$  :

enhancing  $B^{\pm} \to \tau^{\pm} \nu$ 

(Altmanshofer '10)

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BUT in `uplifted SUSY': even without new FCNC

$$\frac{BR(B^+ \to \tau^+ \nu)}{BR(B^+ \to \tau + \nu)_{SM}} = \left[1 - \left(\frac{y_b}{y_b v_d + y'_b v_u}\right) \left(\frac{y_\tau}{y_\tau v_d + y'_\tau v_u}\right) \frac{M_B^2}{M_{H_\pm}^2}\right]^2$$

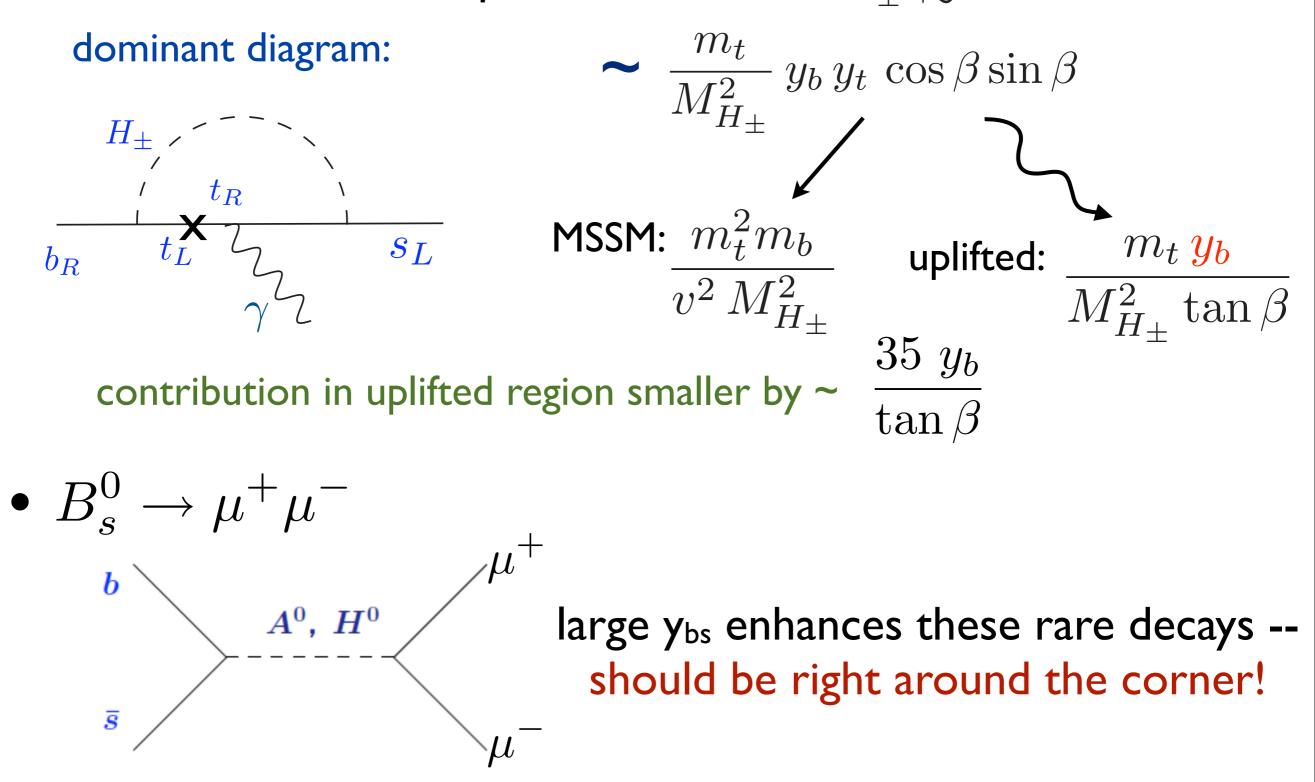
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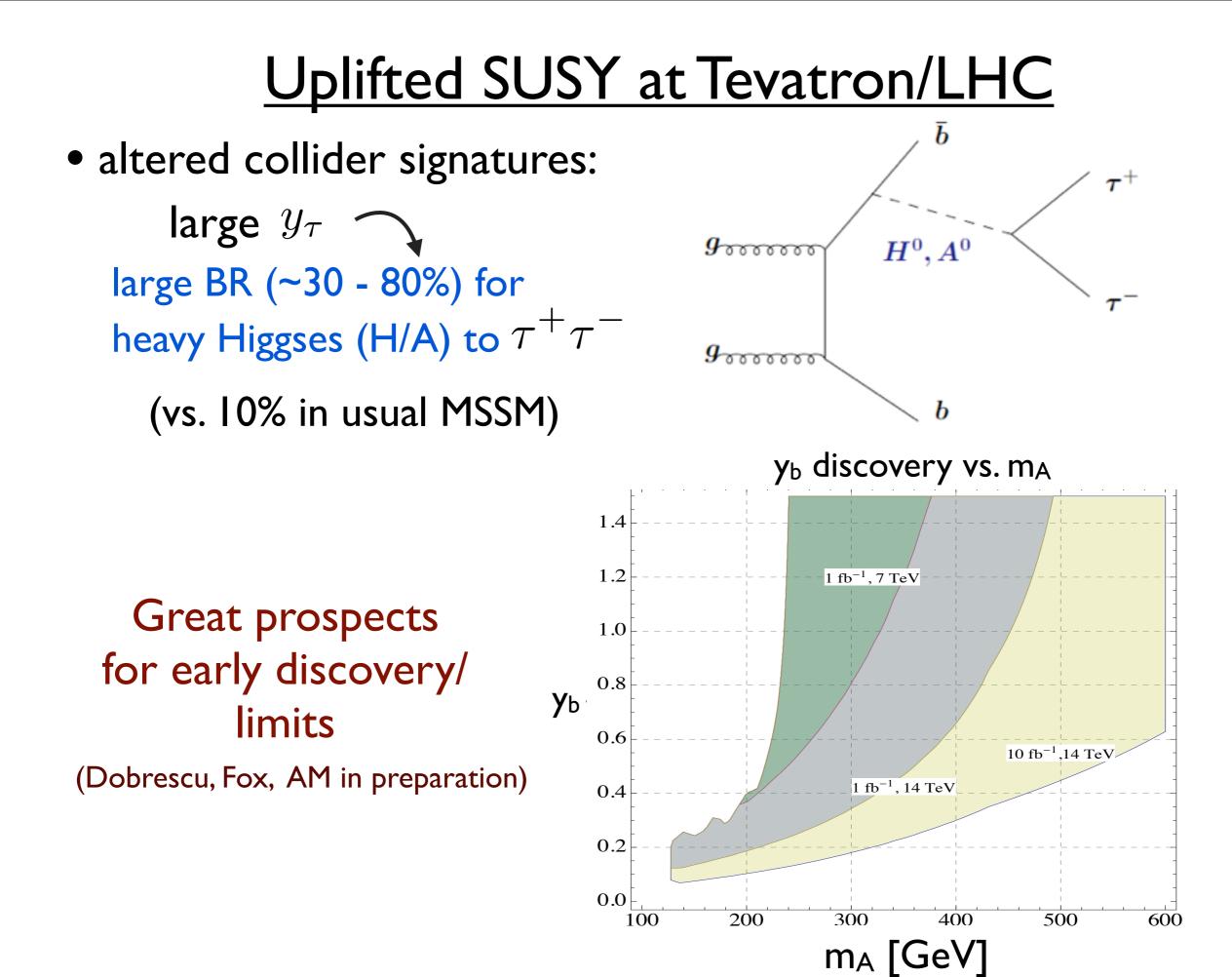
enhancing 
$$B^{\pm} \to \tau^{\pm} \nu$$

(Altmanshofer '10)

#### Uplifted flavor effects: some bigger, some smaller

•  $b \rightarrow s\gamma$  : with the usual range of 2HDM parameters, strong, tan $\beta$  - independent bound  $m_{H_+} \gtrsim 300 \text{ GeV}$ 





#### **Conclusions**

- D0 like-sign dimuon asymmetry, interpreted as B oscillations means <u>there must be BSM physics</u>
- it's tricky to work in new physics to explain excess without messing up existing flavor constraints
- One possibility: new physics in phase of  $M^s{}_{12}$  -- NP must be large with large phase. In this case, should see an effect in  $S_{\psi\phi}$

'Uplifted SUSY' region is one scenario with the right properties

- FCNC through H/A exchange
- couplings sensitive to complex SUSY parameters

assuming M<sub>Q̃3</sub> ≠ M<sub>Q̃1</sub> ≃ M<sub>Q̃2</sub> effects in B<sup>0</sup><sub>s</sub> > B<sup>0</sup><sub>d</sub> ≫ K<sup>0</sup> other B-system/collider signatures soon: B → τν, B<sub>s</sub> → μ<sup>+</sup>μ<sup>-</sup> input from (super)B-factories essential!

to explain excess

# THANKS FOR THE GREAT WORKSHOP!

### EXTRAS

# Latest CDF $S_{\psi\phi}$

